

Modeling and Calibrating a VSC-HVDC Model for Dynamic Simulation

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Outline

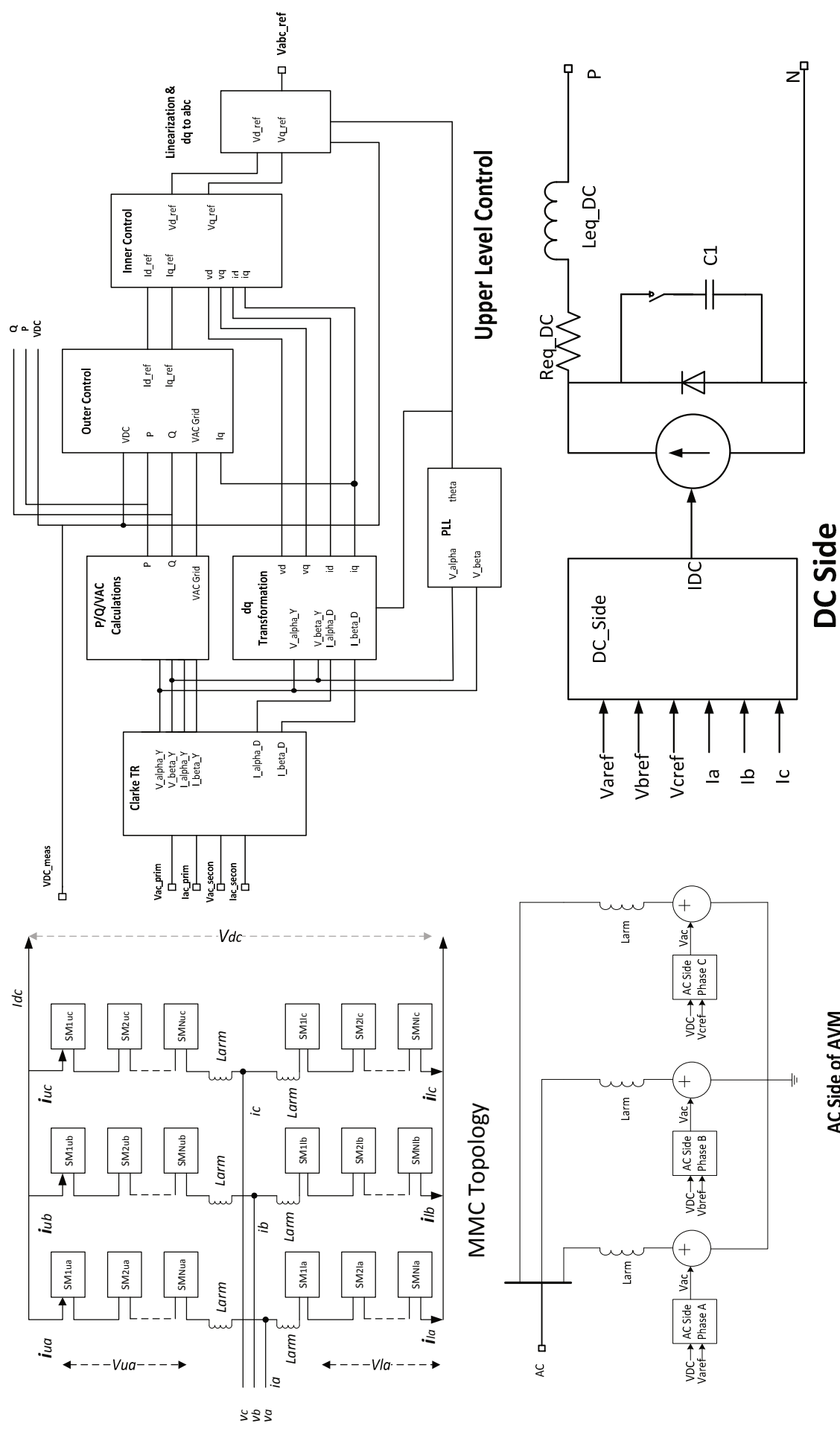
- Introduction
- VSC-HVDC Model
- Implementation in Modelica
- SW-SW to Validation
- Parameter Calibration
- Current Research

Introduction

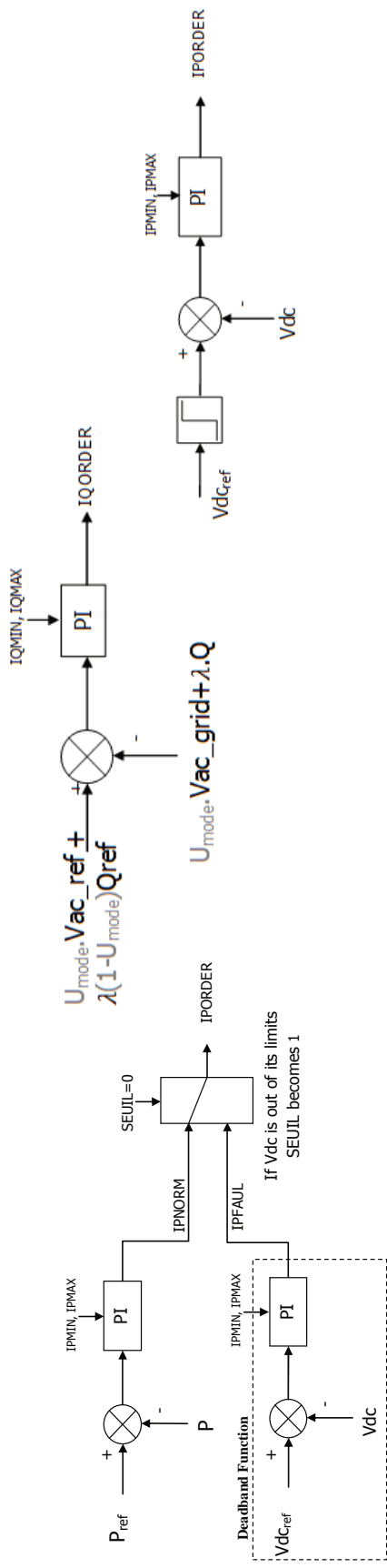
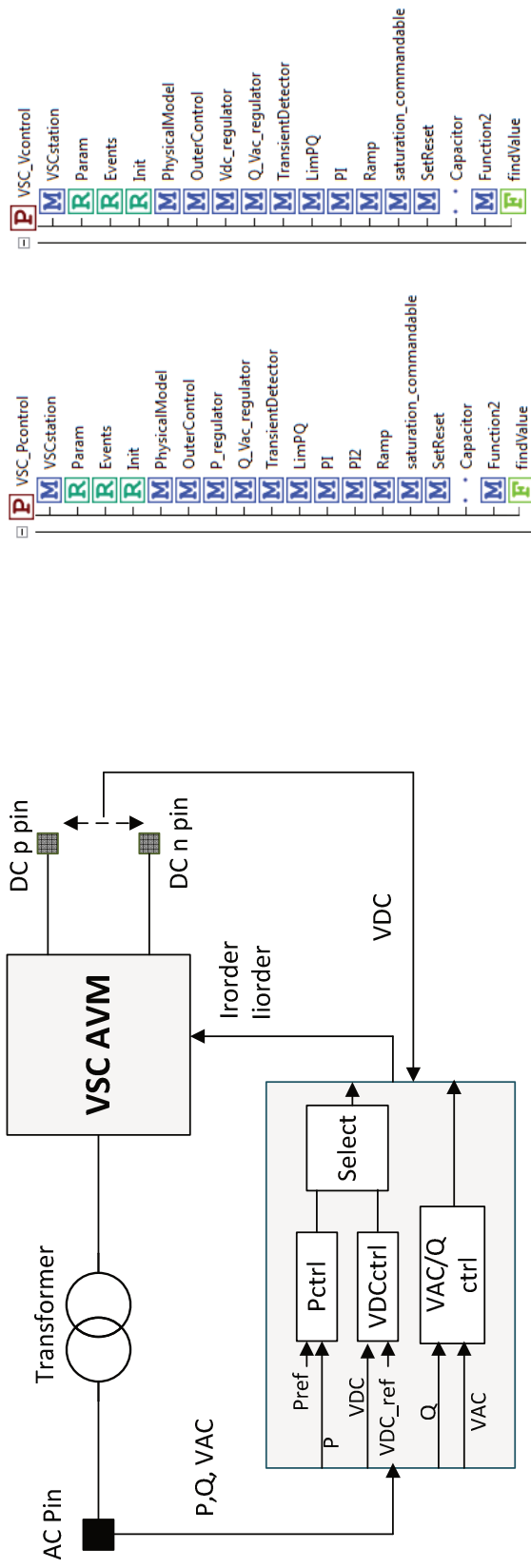
- VSC-HVDC model available in EMTP-RV
- Dynamic security assessment carried out using the iTesla¹ toolbox, requires phasor time-domain model
- One VSC-HVDC AVM model for phasor time-domain simulation is implemented in Modelica
- Control gain parameters are calibrated using RaPId toolbox

¹<http://www.itesla-project.eu/>

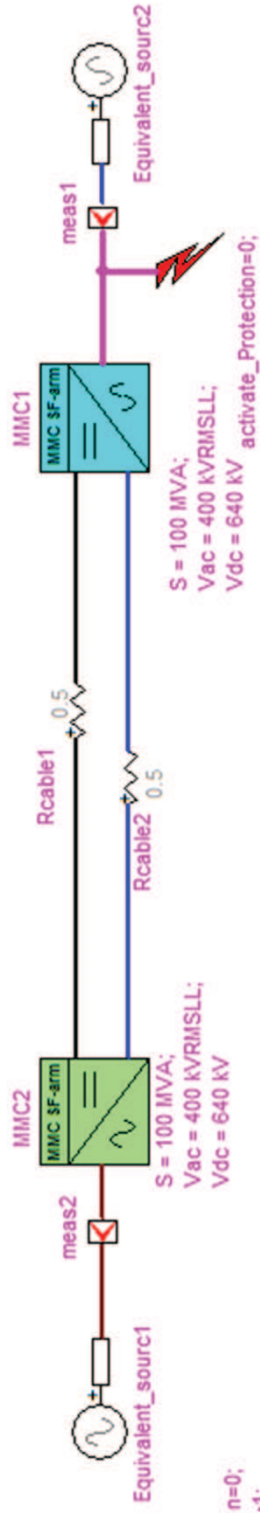
VSC-HVDC Model



Implementation in Modelica



SW-SW Validation

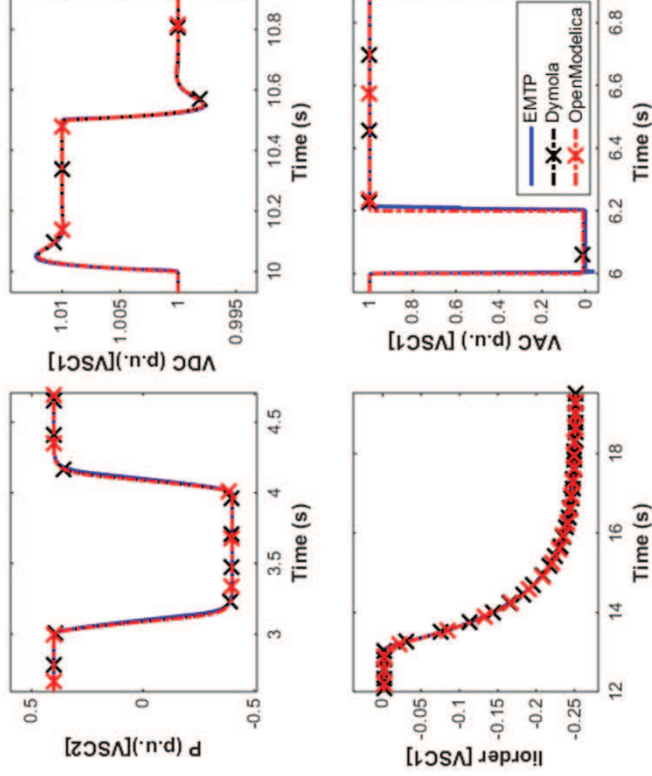


n=0;
.4.

EMTP-RV Test System

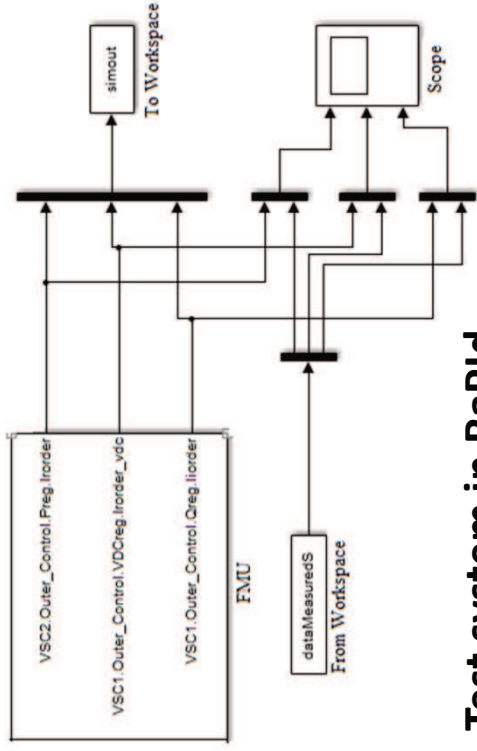
```
model Test2Inf
Real Vpcc1;
Real Vpcc2;
Real P1;
Real P2;
// Infinite nodes with their impedances
PowerSystems.Electrical.Buses.InfiniteBus noeud_infini1(v = 1, angle = 0);
PowerSystems.Electrical.Buses.InfiniteBus noeud_infini2(v = 1, angle = 0);
PowerSystems.Electrical.Branches.Pwline line1(R = 0, X = 0.01, G = 0, B = 0);
PowerSystems.Electrical.Branches.Pwline line2(R = 0, X = 0.01, G = 0, B = 0);
// Fault
PowerSystems.Electrical.Events.Fault Fault(R = 0, X = 0.0001, t1 = 6, t2 = 6.
// DC Link with Rdc in pu_dc determined with SNref(modelica)=100MVA and Vdc=2*3
Modelica.Electrical.Analog.Basic.Resistor resistor1(R = 0.00024);
Modelica.Electrical.Analog.Basic.Ground ground1;
// HVDC Stations: one controls P, the other controls Vdc
VSC_Vcontrol.VSCstation VSC1;
VSC_Vcontrol.VSCstation VSC2;
equation
connect(Fault.p, VSC1.pinAC);
// DC
connect(VSC1.pindC1, resistor1.p);
connect(VSC1.pindC2, ground1.p);
connect(VSC2.pindC1, resistor1.n);
connect(VSC2.pindC2, ground1.p);
// AC
connect(noeud_infini1.p, line1.p);
connect(line1.n, VSC1.pinAC);
connect(VSC2.pinAC, line2.n);
connect(line2.p, noeud_infini2.p);
Vpcc1 = line1.n.vi + line1.n.vr + line1.n.vi + line1.n.vi;
Vpcc2 = line2.n.vr + line2.n.vr + line2.n.vi + line2.n.vi;
P1 = -(line1.n.vr + line1.n.ir + line1.n.vi + line1.n.ii);
P2 = -(line2.n.vr + line2.n.ir + line2.n.vi + line2.n.ii);
end Test2Inf;
```

VSC stations

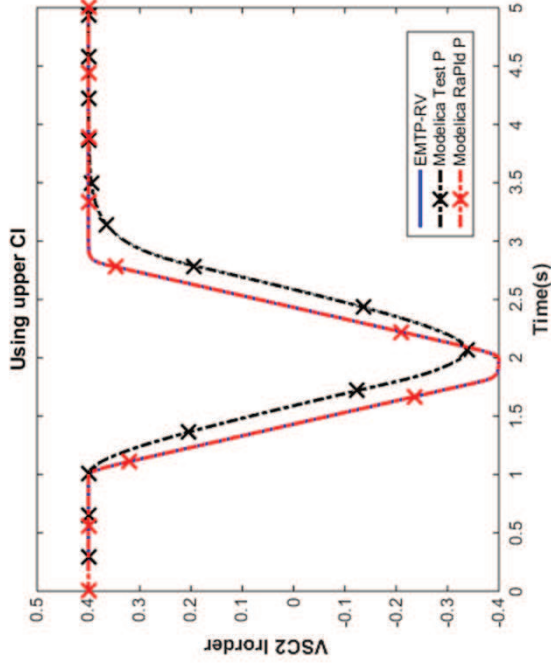


Modelica Test System

Parameter Calibration



Test system in RaPId



	KIVDC		KPVDC		KIP		KPP		KIQ		K PQ	
	II	SI	II	SI	II	SI	II	SI	II	SI	II	SI
Mean	891.8	834.19	26.77	26.66	31.5	31.53	0.013	0	30.06	29.32	0.076	0.263
Standard dev.	9.893	37.501	0.143	0.083	0.002	0.072	0.008	0	2.165	0.082	0.068	0.046
Variance	97.88	1406.4	0.02	0.007	8.455e-06	0.005	6.40e-05	0	4.68	0.006	.004	.002
CI (95%)	887.99 895.66	794.83 873.54	26.71 26.82	26.58 26.75	31.50 31.50	31.45 31.60	0.007 0.01	0	28.51 31.60	29.23 29.40	0.02 0.12	0.21 0.31

Calibration Results

Sensitivity Analysis

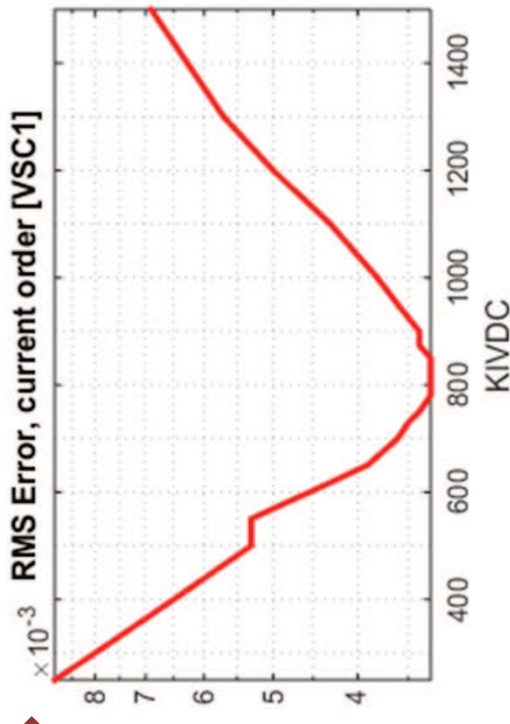
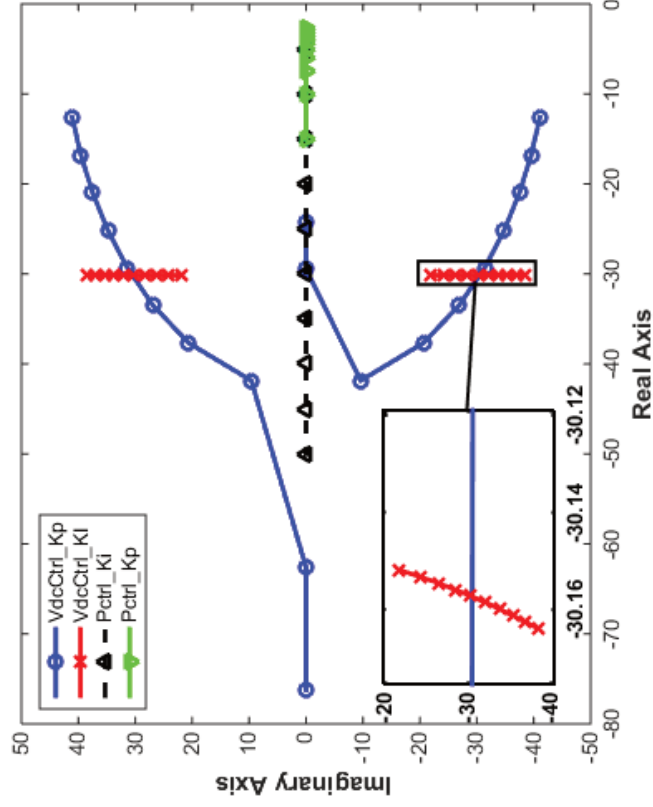
Linear Analysis

Closed-loop eigenvalues are obtained

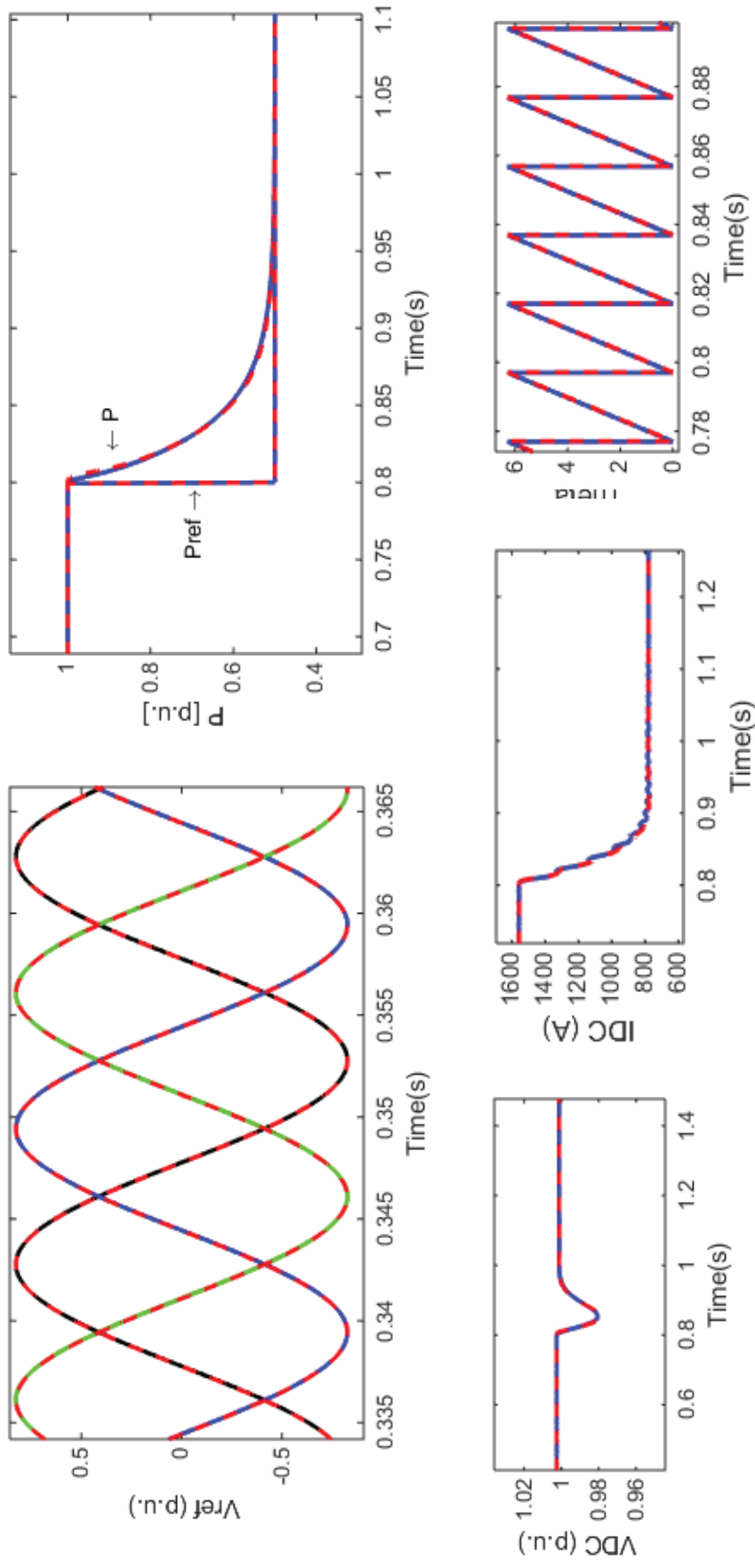
Independently varying the parameters of each controller

Non Linear analysis

A set of simulations were carried out using a Modelica tool with values for **KIVDC** [250 1500]

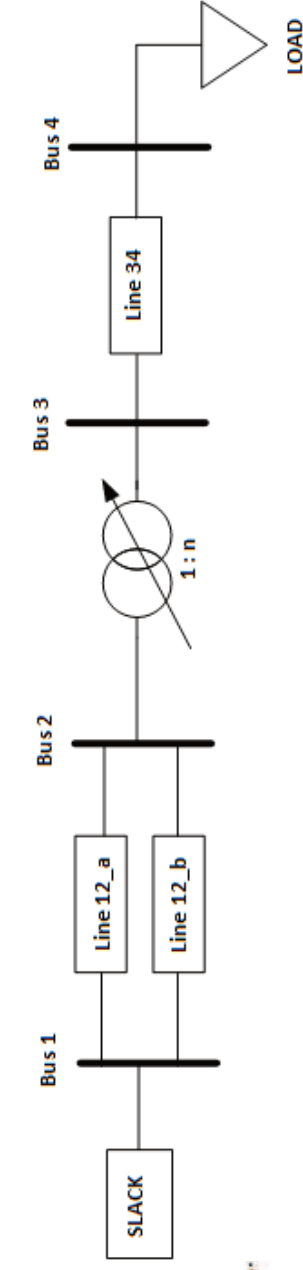


Simulation Results



Current Research (1)

- q Systematic mathematical representation of Hybrid Power System
- q Hiskens: Differential, Switched Algebraic and state-Reset (DSAR)



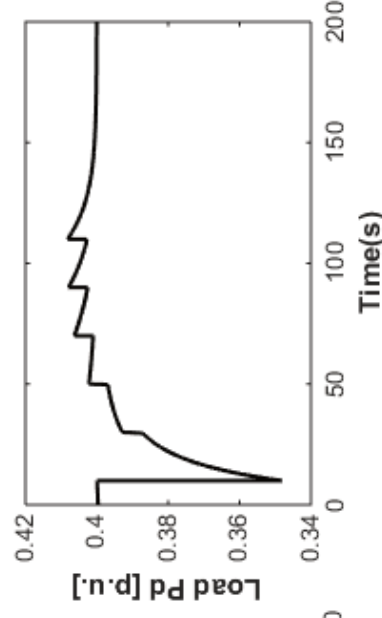
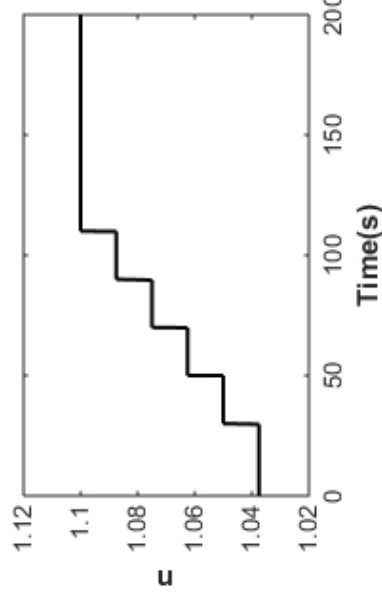
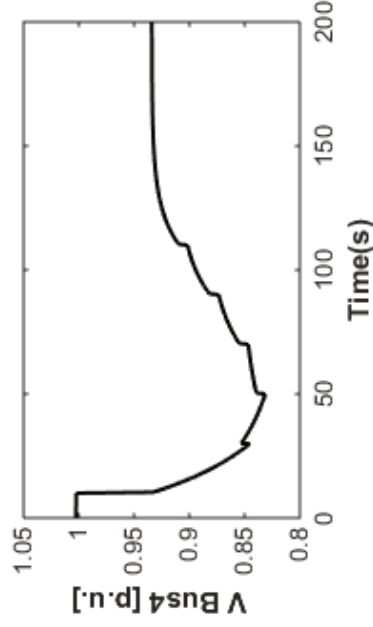
$$\dot{x} = f(x, y, z, \lambda)$$

$$\dot{z} = 0$$

$$0 = g^{(0)}(x, y)$$

$$0 = \begin{cases} g^{i-}(x, y, z, \lambda) & y_{s,i} < 0 \\ g^{i+}(x, y, z, \lambda) & y_{s,i} > 0 \end{cases} \quad i=1, \dots$$

$$z^+ = h_j(x^-, y^-, z^-, \lambda) \quad y_{r,j} = 0 \quad j \in 1, \dots, r$$



Questions?